

Can Probabilistic Feedback Drive User Impacts in Online Platforms?

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Recommendation systems rely on **feedback** from users to learn about their preferences over content.



Can some societal impacts of online platforms be attributed to **differential rates of feedback** across pieces of content?



Probabilistic feedback on an online platform: a simple model

Bandit algorithm	Platform's recommendation algorithm
K arms	K pieces of content items
ℓ_i : "loss" of an arm i	"quality/utility" of content i
f_i : "feedback probability" of arm i	likelihood of observing ℓ_i when item i is recommended

For rounds $t = 1, 2, \dots, T$:

- The algorithm picks one item i_t from the set of items $[K]$ to recommend
- Incur loss ℓ_i
- With probability f_i , observe the loss ℓ_i

Standard measure of performance is **regret**:

$$R(T) = \mathbb{E} \left[\sum_{t \in [T]} \ell_{i_t, t} \right] - \min_{j \in [K]} \mathbb{E} \left[\sum_{t \in [T]} \ell_{j, t} \right]$$

Formalizing "user impacts": APC & FOC

APC (Arm Pull Count) for i : $\mathbb{E} \left[\sum_{t \in [T]} \mathbf{1}[i_t = i] \right]$

"How often is content shown to users?"

FOC (Feedback Obs. Ct.) for i : $\mathbb{E} \left[\sum_{t \in [T]} \mathbf{1}[i_t = i] \cdot X_{i_t, t} \right]$

"How often do users give feedback?"

Monotonicity: does increasing an arm's f_i increase or decrease APC/FOC? Need a precise way to evaluate this.

- Fix an instance \mathcal{J} . Consider instance $\tilde{\mathcal{J}}$, which is identical except for f_i , which is increased on $\tilde{\mathcal{J}}$.
- The algorithm is (e.g.) **positive monotonic in APC** if $APC(\tilde{\mathcal{J}}) > APC(\mathcal{J})$.

Example: "own-group" content and APC

- f_i is higher for content that is produced by "similar" people (demographics, ideology)
- Positive monotonicity in APC means users see content from "similar" people more often – related to problems like "echo chambers"

Insights for platform design

- Identify relationships between content and feedback – and what kinds of monotonicities are desirable
- More generally, should formalize & track measures of performance beyond "loss"/utility; we do this for impact of probabilistic feedback

Three black-box transformations for all achievable monotonicity guarantees

For any no-regret (stochastic) bandit algorithm with regret R_{ALG} :

Transformation	High-level idea	Regret	APC	FOC
BBDivide	Divide T into equally-sized blocks	$R_{ALG} \left(\frac{Tf^*}{\ln T} \right) \cdot \frac{\ln T}{f^*}$	\approx	$+$
BBPull	Pull the same arm until the first time feedback is observed	$R_{ALG}(T) \cdot \frac{1}{\min_i f_i}$	$\approx, -$	$\approx, +$
BBDivAdj	Pull each arm a prespecified number of times, increasing with f_i	$R_{ALG} \left(\frac{Tf^*}{3 \ln T} \right) \cdot \frac{6 \ln T}{f^*}$	$\approx, +$	$\approx, +$

f^* is a tunable parameter between $(0, \min_i f_i]$. The \approx symbol indicates approx. balance.

+ Improved regret for BBPull+AAE/UCB: $O \left(\sqrt{T \ln(T) \sum_{i \in [K]} \frac{1}{f_i}} \right)$

+ Strict monotonicity for BBPull+AAE and BBDA+AAE

Takeaway: wide range of monotonicity properties are achievable while preserving low regret!

3-Phase EXP3: adversarial losses + no-regret at the cost of monotonicity control

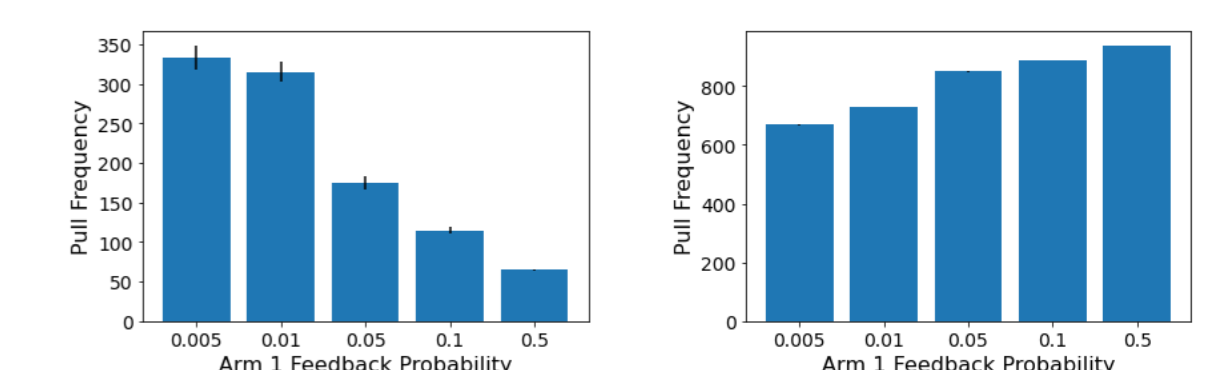
Standard EXP3 incurs linear regret when $f_i \neq 1$.

3-phase EXP3 (below) achieves regret $O \left(\sqrt{T \ln K \sum_{i \in [K]} \frac{1}{f_i}} \right)$.

3-phase EXP3

- Phase 1:** Obtain high-probability estimate of f_i
- Phase 2:** Obtain unbiased estimate of f_i
- Phase 3:** Run standard EXP3, with hp est. to set learning rate and unbiased est. to create unbiased loss estimator

Improvement over previous work on MAB + feedback graphs: Esposito et al. 2022 achieve $O \left(\sqrt{TK \min_i f_i} \right)$.



Lacks clean monotonicity properties. $K=2, T=1000$. Left: $\ell_1 = 0.9, \ell_2 = 0.1$. Right: $\ell_1 = 0.1, \ell_2 = 0.9$